Transactive Control in Transportation Systems

Anuradha Annaswamy

Active-adaptive Control Laboratory Department of Mechanical Engineering Massachusetts Institute of Technology



(collaborative work with D'Achiardi, Guan, Tseng, Yanakiev, Mazumder, and Pilo)



Paradigm Shift

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Workshop on Autonomous Energy Systems, August 19-20, 2020

Grid of the 21st Century

- Distributed generation
- Visibility with varied sensors
- Controllable loads
- Intelligent edge

Image sourced: Bartz/Stockmar / CC BY-SA (https://creativecommor

- Dynamic
- Billions of controllable nodes

Power Balance:

Becoming Dynamic



Power Balance: Traditional





Power Balance: Becoming Distributed





Workshop on Autonomous Energy Systems, August 19-20, 2020 * M. Zhao, R. V. Panda, S. S. Sapatnekar and D. Blaauw, Trans. on Computer-Aided Design of Integrated Circuits and Systems, Feb. 2002

This Talk: Distributed Optimization Using Trains

- Transactive Control in Transportation Systems
- Co-optimization of train scheduling and grid-scheduling
 - Railway grid Dynamic Market Mechanism (*rDMM*)
 - Train Dispatch
- Simulations Amtrak Northeast Corridor (NEC)
- Co-optimization of interdependent infrastructures
 - Wind Power Producers & Natural Gas Producers
 - **o** Electricity and NG Markets
- Summary





TRANSACTIVE CONTROL





Story of Demand Response



- Modern grid characterized by increased penetration of renewables energy resources (RERs) leading to intermittent supply
- Storage is a great resource, but fast-acting storage is still expensive
- Flexible demand is needed to ensure power balance and cost efficiency





Demand Response

- Voluntary change in the energy consumption of an electric utility customer to better match the demand for power with the supply.
- Most ISOs and Utilities offer incentive DR programs (e.g. PJM and PG&E) ۲
- DR taxonomies based on the end-users' sectors: residential, commercial buildings, industrial, • and transportation





Source: U.S. Energy Information Administration, Annual Energy Outlook 2018, Table 4, February 2018





9.5%

6.8%

Transactive control: A mechanism through which system- and component-level decisions are made through economic **transactions** between the components of the system, in conjunction with or in lieu of traditional controls.*



Transactive energy: A system of economic and control mechanisms that allows the dynamic balance of supply and demand across the entire electrical infrastructure using value as a key operational parameter.**





Transactive Control in Smart Grids





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Pacific Northwest Demonstration Project

What:

- \$178M, ARRA-funded, 5-year demonstration
- 60,000 metered customers in 5 states

Why:

- Quantify costs and benefits
- Develop communications protocol
- Develop standards
- Facilitate integration of wind and other renewables

Who:

Led by Battelle and partners including BPA, 11 utilities, 2 universities, and 5 vendors



Reference: Courtesy Jakob Stoustrup, Tutorial, American Control Conference, 2016





Transactive Control

A mechanism through which system- and component-level decisions are made through economic **transactions** between the components of the system, in conjunction with or in lieu of traditional controls









Transactive Control in Transportation Systems



Example 1: Dynamic Toll-pricing for congestion reduction Example 2: Shared Mobility on Demand using Dynamic Routing and Pricing



Toll pricing controller*





* A. M. Annaswamy, Y. Guan, H. E. Tseng, H. Zhou, T. Phan and D. Yanakiev, "Transactive Control in Smart Cities," in Proceedings of the IEEE, vol. 106, no. 4, pp. 518-537, April 2018. Workshop on Autonomous Energy Systems, August 19-20, 2020

Response to High Input Flow

High input flow is introduced in the middle of the operating period to test the systems' ability to prevent congestion. Our model-based control (blue) is successful in keeping the HOT density low compared to MnPASS (red).



Transactive Control in Shared Mobility*







Passenger Acceptance: Utility Function

• Utility function (for passenger k)

 $\overline{U_{a_k} = a + b_p} \cdot WalkT_{pk} + b_w \cdot WaitT_k + b_r \cdot RideT_k + b_d \cdot WalkT_{dk} + \gamma \cdot \rho_k$

- Discrete choice model (two alternatives; U_{ak}, U'ak)
 - Probability of acceptance: p_{a_k}



 $p_{a_{\mathbf{k}}} = \frac{1}{1 + e^{-\rho \Delta U_{\mathbf{k}}}}, \qquad \Delta U_{\mathbf{k}} = U_{a_{\mathbf{k}}} - U'_{a_{\mathbf{k}}}$

Conventional Utility Theory (contd.)

- Several alternatives with utilities
- Corresponding probabilities



 u_1 : Utility function of taking a private car;

Utility function of ride-sharing $\sum_{i=1}^{m} U_{a_i}{}^{j} p_i{}^{j}$ $u_i = \sum_{j=1}^{m} U_{a_i}{}^{j} p_i{}^{j}$ $u_i = \int_{t_p^1}^{t_p^2} U_a(\tau) p_i(\tau) d\tau$ T; u_n : Utility function of taking a bus

 $U_{a_1}, ..., U_{a_n}$

 $p_1, ..., p_n$

• Not adequate if uncertainty is large

Prospect Theory – Decision under Uncertainty

- The theory was created in 1979¹ and developed in 1992² by Kahneman and Tversky
- Winner of Nobel Prize in Economics in 2001
- One of the foundations of behavioral economics
- Captures how human beings make decisions under risk



Daniel Kahneman



Amos Tversky

Kahneman, Daniel, and Amos Tversky. "Prospect theory: An analysis of decision under risk." Handbook of the fundamentals of financial decision making: Part I. 2013. 99-127.
 Tversky, Amos, and Daniel Kahneman. "Advances in prospect theory: Cumulative representation of uncertainty." *Journal of Risk and uncertainty* 5.4 (1992): 297-323.

Prospect Theory for Mode Choice*

- In prospect theory*: $u_i = \sum_{j=1}^m V(u_i^{\ j}) \pi(p_i^{\ j})$
- Human beings are irrational in two ways:

1. How do we perceive utility $V(u_i^{j})$: loss aversion - losses hurt more than the benefit of gains

$$V(u_i^{\ j}) = \begin{cases} \left(u_i^{\ j} - R\right)^{\beta^+}, & \text{if } u_i^{\ j} > R\\ -\lambda \left(R - u_i^{\ j}\right)^{\beta^-}, & \text{if } u_i^{\ j} < R \end{cases}$$

R: Frames the problem; $\lambda > 1$

2. How do we assess probability $\pi(p_i^{j})$: overreact to small probability events and underreact to large probability events

$$\pi(p_i^{j}) = \exp(-(-lnp_i^{j})^{\alpha}), \qquad \alpha < 1$$

* Kahneman and Tversky, 1992





Prospect Theory for Shared Mobility

• The utility function is a combination of time and price:

$$u = a + b_p T_{walk} + b_w T_{wait} + b_r T_{ride} + \gamma_l$$

• $\tau \in [t_p^1, t_p^2], u: u(\tau); \tau$: Shuttle arrival interval $U_R^s \neq \int_{-\infty}^R V(u) \frac{d}{du} \{\pi[F_U(u)]\} du + \int_R^{\infty} V(u) \frac{d}{du} \{-\pi[1 - F_U(U)]\} du$



- *R*: reference
- $F(\tau) = \int_{-\infty}^{\tau} df(\tau)$ Cumulative Distribution Function (CDF)
 - Extract from demand pattern and historical data
 - $-F(\tau)$ exists but unknown

Objective probability of acceptance $p^o = \frac{e^{U^o}}{e^{U^o} + e^{A^o}}$ U^o and A^o: objective utility of the SMoDS and the alternative

Subjective probability of acceptance $p_R^s = \frac{e^{U_R^s}}{e^{U_R^s} + e^{A_R^s}}$ U_R^s and A_R^s : subjective utility of the SMoDS and the alternative

Results*





Workshop on Autonomous Energy Systems, August 19-20,

* A. M. Annaswamy, Y. Guan, H. E. Tseng, H. Zhou, T. Phan and D. Yanakiev, "Transactive Control in Smart Citles," in Proceedings of the IEEE, vol. 106, no. 4, pp. 518-537, April 2018. 47

CO-OPTIMIZATION OF GRID-SCHEDULING AND TRAIN-SCHEDULING





Transactive Control in Power Grids



* D. D'Achiardi, A.M. Annaswamy, S.K. Mazumder, and E. Pilo, Transactive Control of Electric Railways, http://arxiv.org/abs/2006.08119



Smart Railway Technologies

- Automation technologies yield trains that can follow optimal trajectories
 - e.g. Positive Train Control (PTC) in US Northeast Corridor
- Train operators maintain a schedule margin to meet timeliness objectives
 - 15% margins on US schedules, 7% in Europe [1]
- Bidirectional power flow enabled by regenerative braking in electric trains (deceleration \equiv inject power into the grid)
- Integration of Distributed Energy Resources (DERs)
 - Reduce operational costs
 - Reduce carbon footprint
 - Improve resiliency (e.g. return trains to stations during blackouts)

[1] Transit Matters. "Regional Rail for Metropolitan Boston." Boston, MA. URL: http://transitmatters.org/regional-rail-doc









An Example: Trip from Boston to New Haven



• University Park, MA

 \rightarrow Providence, RI \rightarrow New Haven, CT

- 4 dispatch regions → 4 Area
 Control Centers (ACC)
- Each ACC faces hourly energy pricing from utility service
- Several dispatchable DERs at each ACC
- Goal: Grid (DER)+Train optimization





DERs at University Park Station, MA





A 2-step optimization approach*



2. Fix the electricity price; optimize train dispatch



* D. D'Achiardi, A.M. Annaswamy, S.K. Mazumder, and E. Pilo, Transactive Control of Electric Railways, <u>http://arxiv.org/abs/2006.08119</u> Workshop on Autonomous Energy Systems, August 19-20, 2020



Step 1: DER dispatch using DMM*

$$\min_{y_i, i \in \mathcal{A}_n} \sum_{i \in \mathcal{A}_n} J_i(y_i)$$

$$\begin{aligned} h_e &= \hat{P}^{re} + \hat{P}^T + \hat{P}^e - \sum_{i \in \mathcal{A}_n} g_i^e(y_i) = 0 \\ h_{th} &= \hat{P}^{th} - \sum_{i \in \mathcal{A}_n} g_i^{th}(y_i) = 0 \\ \underline{y_i} \leq y_i \leq \overline{y_i} \end{aligned}$$

cost minimization \mathcal{A}_n :

power balance thermal balance capacity constraints

A Dynamic Market Mechanism Approach to OPF:

$$L(x,\rho,\gamma) = f(x) + \rho^{T}h(x) + \gamma^{T}g(x)$$

$$x(k+1) = x(k) - \alpha_{1}\nabla_{x}L(x^{k},\rho^{k},\gamma^{k})$$

$$\rho(k+1) = \rho(k) - \alpha_{2}\nabla_{\rho}L(x^{k},\rho^{k},\gamma^{k})$$



DMM: Dynamic Market Mechanisms – allows real-time information regarding renewables and loads to be incorporated.*



Step 2: Train Dispatch



Cost Minimization Objective

Results in $P_{1,1}^*, P_{1,2}^*, P_{1,3}^*, P_{2,3}^*$

train motion dynamics

power bounds traction force bounds acceleration bounds speed bounds minimum arrival time station s maximum departure time station s



A 2-step optimization approach*

2.



CO-OPTIMIZATION OF GRID-SCHEDULING AND TRAIN-SCHEDULING





Simulations – Train Location & Dispatch Profiles



Field data: Yields a total trip-cost of \$200





Simulations – Train Location & Dispatch Profiles



62% energy cost reduction from field to minimum work (train only optimization) ($200 \rightarrow 76$)





Simulations – train location & dispatch profiles



- Distributed Optimization approach (grid+train) results in a 80% cost reduction per trip compared to field (\$200→\$40)
- A 47% trip-cost reduction compared to a minimum work (train-only optimization) Workshop on Autonomous Energy Systems, August 19-20, 2020



CO-OPTIMIZATION OF INTER-DEPENDENT INFRASTRUCTURES





Renewable and Natural Gas Power Plant Partnerships*

Problem

- Urgent need to accommodate renewables
- Speculation: Renewables will need to be dispatched (not treated as negative load)
- Speculation: Penalties $\lambda_p = \alpha \lambda_{DA}$, $\alpha > 1$ for unmet commitments
 - may discourage renewable utilization

Approach

Secondary market to cover unmet commitments at





Impact

- Reliability contracts "firm up" commitments
- NGPPs benefit from exclusive energy rights to RPP shortfalls.
- RPPs benefit from reduced penalty payments
 - (1) more aggressive bidding
 - (2) higher renewable utilization

* D. D'Achiardi, N. Aguiar, S. Baros, V. Gupta and A. M. Annaswamy. <u>Reliability Contracts Between Renewable and Natural Gas Power Producers</u>. In IEEE Transactions on Control of Network Systems, 2019



Interdependency between NG and Electricity Networks – Market Flow*



- Two main issues: (a) Market misalignment (b) Unequal access to gas between NGPPs (GenCos) and RCITs (LDCs)
- Analysis of vulnerabilities was carried out.

* N. Nandakumar and A. M. Annaswamy, "Impact of increased renewables on natural gas markets in eastern United States," in *Journal of Modern Power Systems and Clean Energy*, May 2017 Workshop on Autonomous Energy Systems, August 19-20, 2020



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A recent "9 pm for 9 minutes" event in India on April 9, 2020



Figure 11: All India Demand Trend during the lights off event [1]

[1] Report on Pan India Lights Off Event 9 PM 9 Minutes [https://posoco.in/wp-content/uploads/2020/05/Report-on-Pan-India-Lights-Off-Event-9-PM-9-Minutes-on-5th-April-2020.pdf]

[2] ISO-NE Duck Curve [https://pv-magazine-usa.com/2018/05/08/the-duck-curve-comes-to-new-england/]



What's next? Towards Ultra-Distributed Control



THANK YOU!



