

Utility-Scale Vanadium Redox Flow Battery for Distribution Grid Support: System Dynamics and Efficiencies

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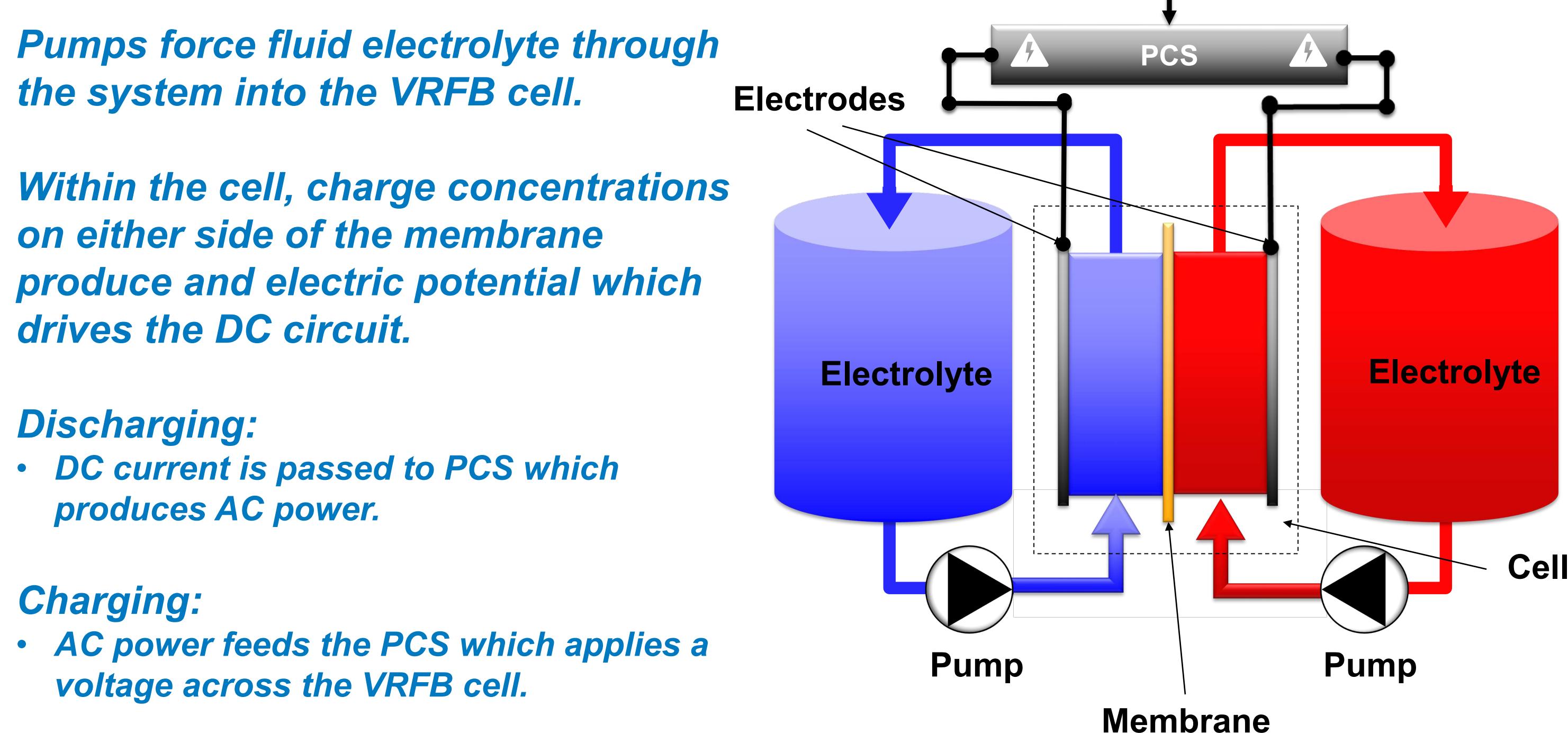
Beyond Lithium Ion XII, Poster No. 2

1 Abstract

- Collaboration between National Renewable Energy Laboratory (NREL) and Sumitomo Electric USA
- Largest field deployed Vanadium Redox Flow Battery (VRFB) in the United States (2MW/8MWh)
- Fully characterized the dynamic losses and efficiency
- VRFB system efficiency is a nonlinear function of the active power and state of charge of the system.
- Dynamic efficiency is impacted by three loss vectors:
 - Chemically induced losses
 - Parasitic loads associated with operating the auxiliary equipment
 - Losses associated with the Power Conditioning Systems (PCS)
- Several use cases analyzed accounting for the dynamic efficiencies



2 Vanadium Redox Flow Battery Operation

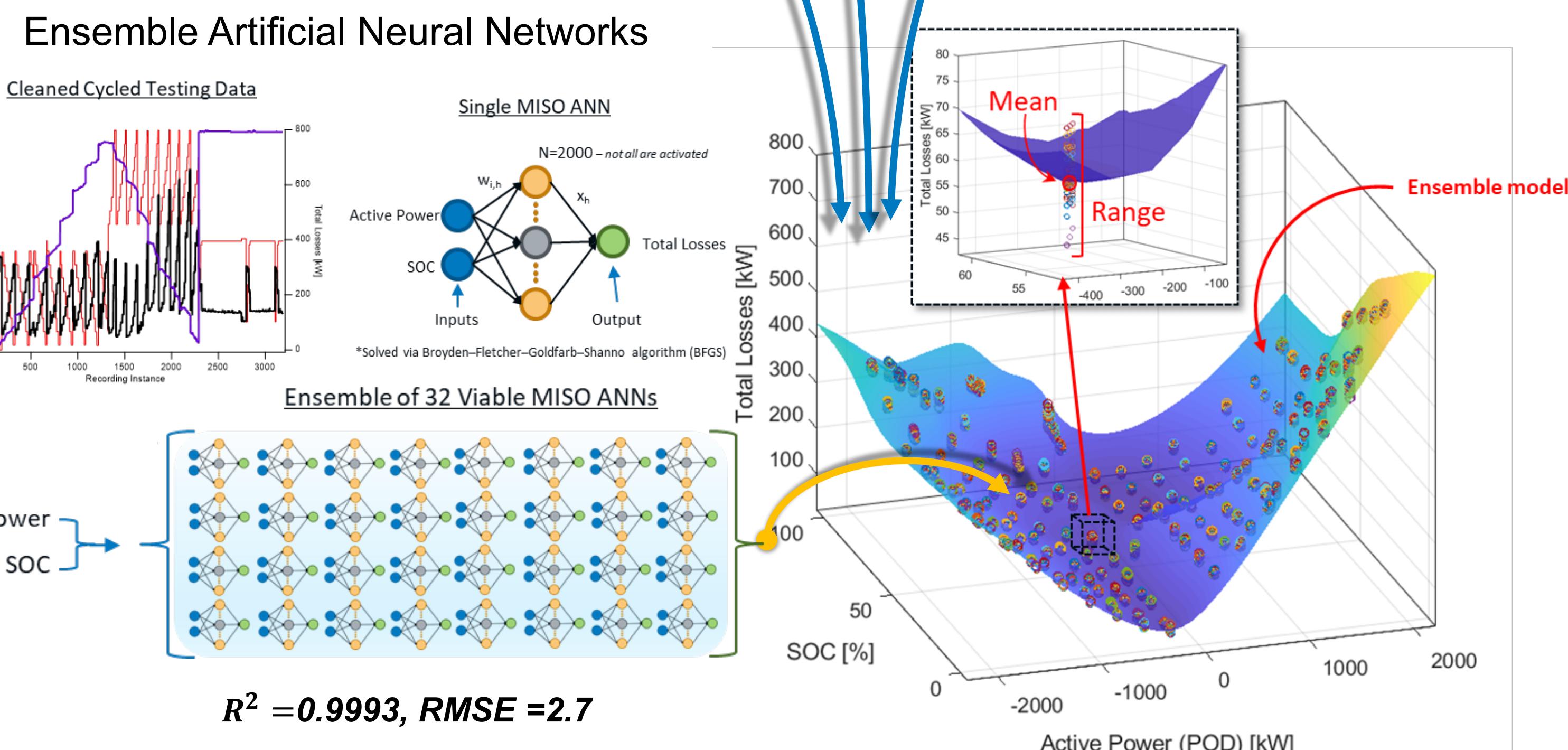


3 VRFB System Dynamic Losses

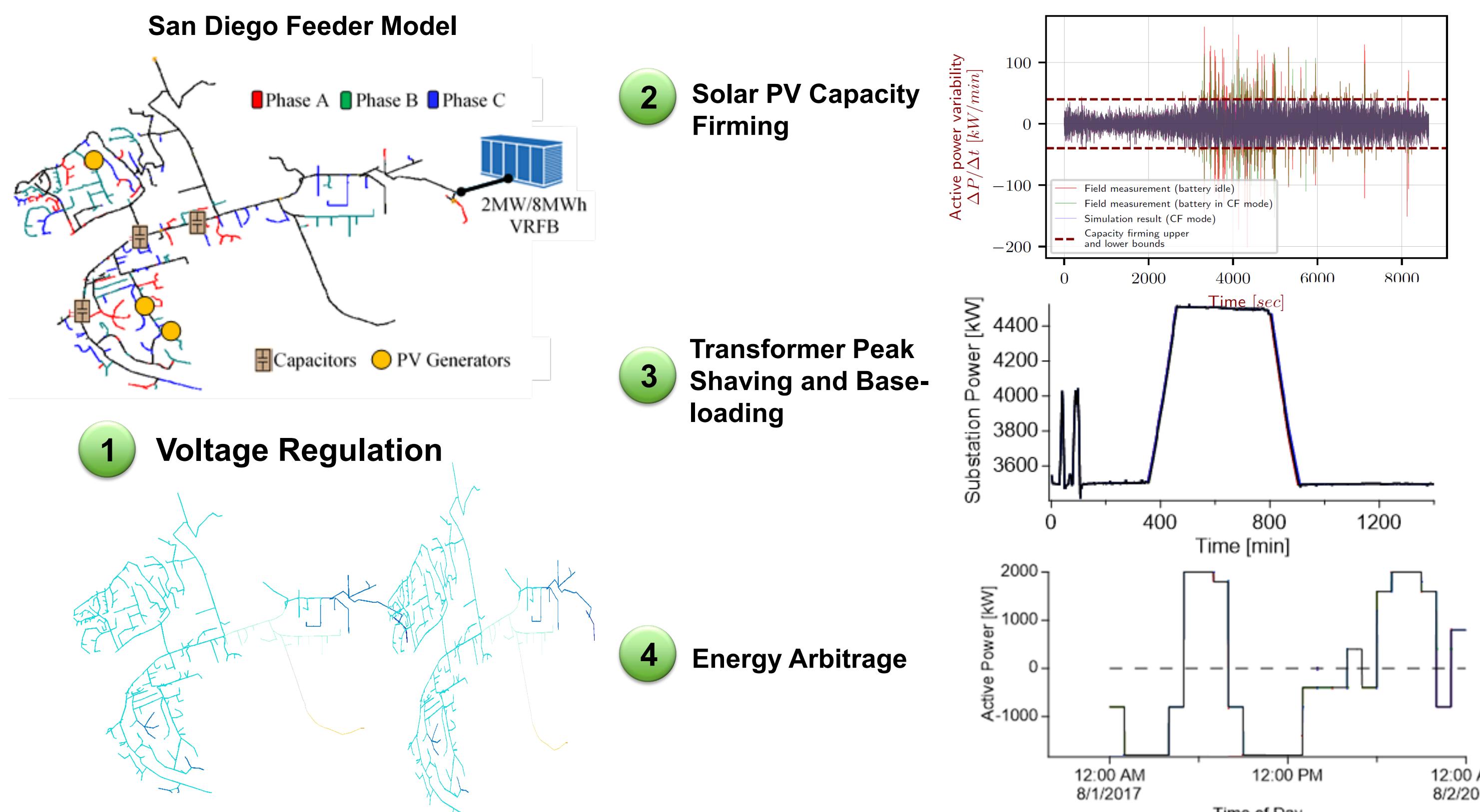
Three primary sources of losses as VRFB operates



Non-Parametric Modeling



4 Utility Feeder and VRFB Use Cases



5 VRFB System Dynamic Efficiency

Dynamic efficiency trajectory with VRFB operated for:

- Peak Shaving and Base-loading
 - Max. dynamic efficiency of 82%
- Energy Arbitrage
 - Max. dynamic efficiency of 86%

Efficiency as Function of SOC

$$\eta_{VRFB}^{Ch} = \frac{|P^{VRFB}| - |P^{In}| - (L_{PCS} + L_{Internal} + L_{Parasitic})}{|P^{In}|}$$

Maximum Efficiency: 87.32%

$$\eta_{VRFB}^{Dis} = \frac{|P^{Out}|}{|P^{VRFB}|} = \frac{|P^{Out}|}{(L_{PCS} + L_{Internal} + L_{Parasitic}) + |P^{Out}|}$$

Maximum Efficiency: 86.16%

$$\eta_{VRFB}^{Ch} (P_{(p.u.)}) = \eta_{max} - \frac{e^{\alpha(P_{(p.u.)} - P_{\eta_{max}(p.u.)})}}{1000} - \beta (P_{(p.u.)} - P_{\eta_{max}(p.u.)})^2$$

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$$\eta_{max} = \max(\eta_{Ch}^{(SOC)}, \eta_{Dis}^{(SOC)})$$

$$P_{\eta_{max}(p.u.)} = \min(P_{Ch}^{(SOC)}, P_{Dis}^{(SOC)})$$

$$\alpha = \frac{1}{1000} \ln \left(\frac{P_{Ch}^{(SOC)} - P_{Dis}^{(SOC)}}{P_{Ch}^{(SOC)} + P_{Dis}^{(SOC)}} \right)$$

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