

Adjoint Sensitivity Analysis of FARMS for Forecasting Variables of WRF-Solar

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1. INTRODUCTION

- A probabilistic solar forecast using the ensemble members created through the optimized perturbation of initial conditions enables the accurate prediction of confidence in solar power forecast.
- The Fast All-sky Radiation Model for Solar applications (FARMS) is the radiation component of WRF-Solar that efficiently computes solar radiation using the forecasting of cloud properties.
- Adjoint modeling allows an efficient estimation of sensitivity of model output with respect to inputs without requiring thousands of runs to perturb each input individually.

Objective: Develop an adjoint model to investigate the sensitivity of solar radiation to forecasted variables from FARMS.

3. METHODOLOGY

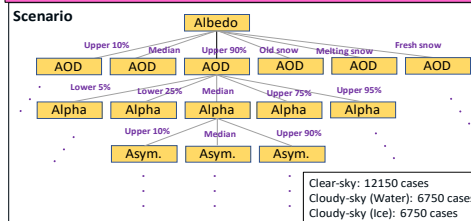
Phase 1: Produce FARMS TI/adj. codes by TAF

Transformation of algorithms in Fortran (TAF): automatic differentiation tool -> enables a sensitivity analysis of complex functions that have been coded into Fortran.

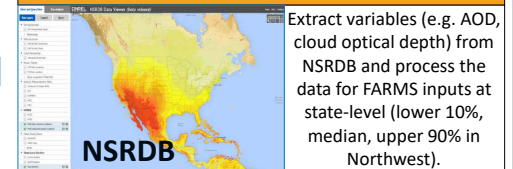
Phase 2: Linearity test and TI/adj. test

Check the validation of TI/adj. codes for a linear approximation of radiative transfer model.

Phase 4: Scenario analysis



Phase 3: Probability distribution from NSRDB



2. THEORY OF ADJOINT

Tangent linear model (TLM)

- Derived from the forward model

$$Y = M(X)$$

M: nonlinear model

Y: vector of output variables

X: matrix of input variables

- Tangent linear operator (L) gives the derivative of the forward model with respect to the independent variable

$$dY = LdX \quad dY: \text{tangent linear output} \quad L = \frac{\partial Y}{\partial X}$$

dX: tangent linear input

L: matrix of the partial derivatives of Y with respect to X (tangent linear operator or Jacobian)

Adjoint model (ADM)

- Derived from the tangent linear model

- If $\langle \cdot, \cdot \rangle$ is a scalar product and **A** is a linear operator, we define the adjoint of **A** as the operator **A^T** satisfying:

$$\langle AX, Y \rangle = \langle X, A^T Y \rangle$$

for every choice of X and Y.

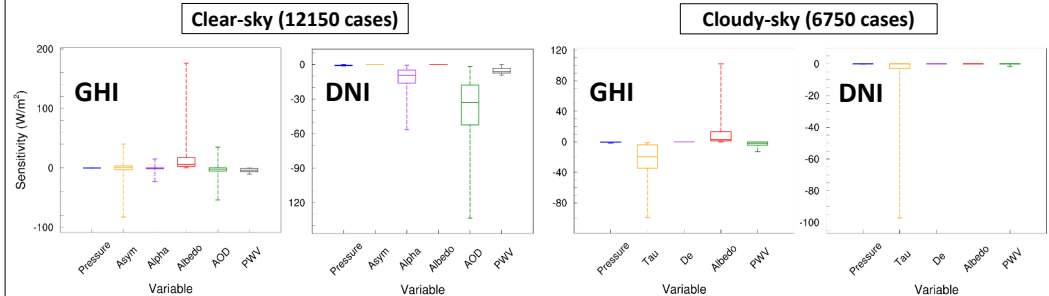
- Therefore, $\langle LdX, dY \rangle = \langle dX, L^T dY \rangle$ dY: adjoint input
dX: adjoint output

- Adjoint (LT) gives the transpose of the derivative of the forward model with respect to the independent variable

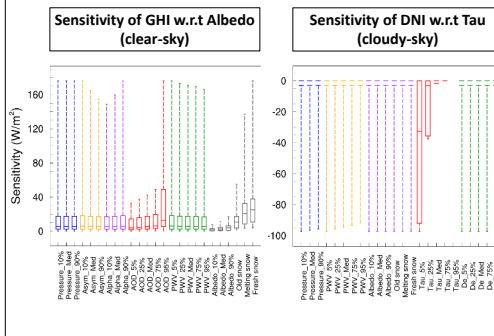
In this study, normalized d(GHI) and d(DNI) are analyzed with respect to the input variables for FARMS.

4. RESULTS

Analysis of all cases under clear and cloudy sky conditions



Example of scenario analysis



5. CONCLUDING REMARKS

- As an initial step for developing the framework for WRF-Solar probabilistic forecasts, an adjoint model of FARMS is developed to identify the input variables with lower-/higher order sensitivities.
- Albedo and AOD has shown the highest sensitivities for GHI and DNI, respectively in clear-sky conditions.
- In cloudy-sky conditions, cloud optical depth (Tau) is the highest sensitive variable for GHI and DNI.

Further direction: The adjoint sensitivity of WRF-Solar variables will be analyzed for NOAA LSM, Thompson microphysics parameterization, MYNN boundary layer parameterization, and Deng shallow cumulus scheme.